Optimal Global Climate Policy and Regional Carbon Prices.

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Introduction

It is often stated that optimal global climate policy requires global harmonization of marginal abatement costs – i.e., a single carbon price throughout the world. Chichilnisky & Heal (1994) have shown quite generally that this is only the case if distributional issues are ignored, or if lump-sum transfers are made between countries. Else, a policy in which different regions face different carbon prices may be superior to one with a global harmonized carbon price. Still, most integrated assessment models (IAMs) assume away distributional issues and report a single optimal carbon price. We calculate utilitarian-optimal carbon prices under zero cross-regional lump-sum transfers in the multi-region IAM NICE. The result is an optimal global climate policy with different regional carbon prices in which the poorest regions face initially low prices, while the richest regions face very high prices from the outset. This entails significant welfare gains over the standard single price optima commonly reported, which, as we argue briefly in conclusion, can be improved upon still by allowing international trading in the corresponding emissions allocations.

NICE is based on William Nordhaus’s multi-regional model RICE, but includes representation of sub-regional inequalities based on World Bank income distribution data (World Bank 2014). This allows us to show not only the effect on optimal prices of allowing differential regional prices while otherwise holding fixed the assumptions of RICE, but also the effect of differential pricing on optimal policy given a variety of alternative assumptions about the distribution of both damages and mitigation cost by income quintile.

We find that the effect on optimal policy of allowing different regional prices can be large, even for the relatively low value of 1 for the elasticity of marginal utility, the parameter which determines the intensity of concern for inequality in utilitarian cost-benefit models such as NICE. For a large range of combinations in the other relevant parameter values, the optimal regional prices span the whole range of prices that are found using globally aggregated models and that are currently debated as optimal global prices. The richest regions have carbon prices greater than what was prescribed with low discounting parameters in the Stern review (Stern 2006), and the poorest regions have even lower prices than found optimal by studies with very high discounting parameters (e.g. Nordhaus 2007). The welfare gain and change in global mitigation effort from allowing different regional prices depends sensitively on model parameters, in particular the two income elasticities which determine how mitigation costs and climate damages are distributed across income groups within regions. For example, for elasticity values in the middle of our reported range we find that the overall mitigation effort is comparable in the harmonized and differential price optima, but the welfare gain from allowing poorer regions to mitigate less is still substantial: over a percent of perpetual equally distributed consumption. Regardless of the parameter values, the welfare gain from considering optimal differential prices is always positive.

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1 The most prominent models are DICE/RICE (Nordhaus & Sztorc 2013), FUND (Tol 1996), and PAGE (Hope 2006). These are either globally aggregated models with no regional heterogeneity (as DICE and PAGE) or regional models run with Negishi weights or a constraint harmonizing the international carbon price (as RICE). With the exception of Anthoff 2009, which uses FUND, we know of no implementation of these models in which an optimum with regionally different marginal abatement costs is reported.

2 NICE does not model health care co-benefits or CO2 mitigation, which, as shown in the contribution by Boyce, would result in higher carbon prices overall.

3 For greater values of this elasticity, the spread in regional prices becomes greater. The value 1 is at the lower end of the range of primary disagreement in the literature.
In the final section we argue that a differential prices optimum is a natural focal point for climate policy, as it gives proper weight to common but differentiated responsibilities, and provides a reference for judging the relative adequacy of national commitments (INDCs) in the emerging post-Paris ‘bottom-up’ international climate regime. Because the differential prices optimum can be used to calculate the welfare-optimal shares of emissions, these shares are then a natural focal point for judging the adequacy of shares of a given level of global emissions reductions. Once such commitments are established and deemed adequate, international emissions trading can provide further gains still, as in any situation with differential prices the same emissions level can be achieved in a Pareto improving way by allowing a region with a higher price to pay a region with a lower price for a share in the latter’s emission share – i.e. an emissions trading scheme that allocates permits in accord with the emission shares in the differential prices optimum. The resulting gain over the standard single price optimum would be twofold: first from allowing different regional levels of mitigation effort, and second from the efficiency gain due to trading. The latter is accompanied by some degree of international transfers, but rather than stemming from general redistributive aims they stem from the logic of common but differentiated responsibilities internal to the climate policy challenge.

**Modeling: Optimal Climate Policy with Differential Regional Prices in NICE**

Very few papers produce an optimal global response with different price paths for different regions—Anthoff 2009 is the only example we know, which calculates a differential prices optimum (in the FUND model) and also provides an overview of the relevant economic theory. Here we compute the utilitarian-optimal carbon prices in the multi-region integrated assessment model NICE and compare the outcome to the harmonized-price constrained optimum as well as to the Negishi-weighted and globally aggregated models. NICE is based on William Nordhaus’ multi-region model RICE, but includes representation of sub-regional inequalities based on World Bank data on the distribution of income within nations, which we treat as a proxy for the distribution of consumption prior to both damage from climate change and mitigation cost.

Following RICE 2010 (Nordhaus 2010), on which NICE is based, and most of the literature, NICE evaluates public policy with a discounted and separable constant elasticity social welfare function. In general we won’t be using Negishi weights (though we report the Negishi-weighted optimum for comparison to our results), but only population weights:

\[
W(c_{ijt}) = \sum_{ijt} \frac{L_{ijt}}{(1+p)} \frac{c_{ijt}^{1-\eta}}{1-\eta}
\]

4 The result reached after trading will have a single international marginal abatement cost, but it will depend on the initial allocation, and will, in general, not be the same as the harmonized price optimum. In fact, Chichilnisky, Heal, and Starrett (2000) show that for some initial allocations the result of emissions trading may not even be Pareto efficient. Still, such a result would be superior to the harmonized price optimum.

5 Anthoff 2009 extends the results in Chichilnisky & Heal 1994, and Sandmo 2006 to the dynamic framework common in IAMs. He the computes the optimal regional marginal abatement costs in the FUND model.

6 In both of the disaggregated cases we will be adopting a constraint against international transfers. In the Negishi-weighted and aggregated case transfers would anyhow have no impact on the optimal policy.

7 More precisely, we run a “globally aggregated” version of the model in which all individuals in all regions are assumed to consume the global average consumption. For the logarithmic utility which we use (\(\eta = 1\)) the Negishi-weighted optimal policy is identical to the globally aggregated optimum. In this sense, a Negishi-weighted regional model gets a single global carbon price by ignoring distributional issues. See Anthoff 2009 for this theoretical result.
Here \( W \) denotes social welfare, \( L \) population, \( c \) per capita consumption, \( \rho \) the pure rate of time preference, and \( \eta \) the elasticity of marginal utility. The subscripts \( i \), \( j \), and \( t \) are region, quintile, and time indices respectively.

The main equation embodying the economic trade-off in the RICE model, inherited by NICE is:

\[
Y_{it} = \left( \frac{1-\Lambda_{it}}{1+D_{it}} \right) Q_{it} \tag{2}
\]

Here \( Y \) denotes post-mitigation cost and climate damage economic output, \( Q \) pre-cost and damage (gross) output, and \( \Lambda \) and \( D \) are mitigation cost and damage respectively. Thus, mitigation comes at a price that subtracts from output, as do damages from climate change, which increase as temperature rises relative to preindustrial levels, where that temperature rise is a function of the stock of emissions in the atmosphere. As RICE is a regional model, each of these variables is specified by region. Gross output \( Q \) is a Cobb-Douglas function with regional TFP parameters, which are computed as residuals for 2005 and projected forward with empirical growth estimates as well as modest convergence assumption. The damage functions \( D \) are a quadratic function of global mean temperature above preindustrial levels with polynomial coefficients that vary by region. The abatement cost \( \Lambda \) is a convex function of the mitigation rate, with regional coefficients that reflect current carbon intensities and are projected into the future with modest convergence assumptions analogous to those for TFP.\(^8\)

What is specific to NICE is the representation of sub-regional heterogeneity by attributing regional output to population quintiles by income. We use a fixed savings rate, equal in every region and period, denoted by \( s \). Regional average per-capita consumption is

\[
\bar{c}_{it} = \frac{1-s}{L_{it}} Y_{it} \tag{3}
\]

From here, NICE computes disaggregated per capita consumption per quintile \( j \) pre-mitigation cost and pre-climate damage by

\[
c_{ijt}^{pre} = 5\bar{c}_{it} \left( \frac{1+D_{it}}{1-\Lambda_{it}} \right) q_{ij} \tag{4}
\]

where \( q_{ij} \) is the income share of the \( j \)th quintile in region \( i \).\(^9\)

Post-mitigation cost and post-damage average per capita consumption (for quintile \( j \) in region \( i \) at time \( t \)) is

\[
c_{ijt} = \frac{5\bar{c}_{it}}{1-\Lambda_{it}} \left( (1 + D_{it})q_{ij} - (1 - \Lambda_{it})D_{it}d_{ij} - (1 + D_{it})\Lambda_{it}e_{ij} \right) \tag{5}
\]

\(^8\)A detailed description of the RICE model, as well as the DICE model, on which it is based, can be found in Nordhaus & Sztorc 2013.

\(^9\)The quintile share \( q_{ij} \) is multiplied by 5 in order to obtain per capita values (e.g., if \( q_{ij} = 1/5 \), the per capita consumption in the quintile is equal to the per capita consumption in the whole population).
where $e_{ij}$ is the share of mitigation cost and $d_{ij}$ is the share of damages of the $j$th quintile in region $i$. These quintile shares of damage and mitigation cost are computed for different values of elasticity parameters $\xi$ and $\omega$ such that

$$d_{ij} = k_i \xi q_{ij}^\xi, \quad e_{ij} = k_i \omega q_{ij}^\omega.$$ \hspace{1cm} (6)

This yields a constant elasticity relationship for the quintile damage and mitigation cost shares as a function of income. By modifying the parameters $\xi$ and $\omega$, we are thus able to vary the distribution between quintiles of climate damages and mitigation costs.

To illustrate the meaning of $\xi$ (and $\omega$), consider an ‘economy’ comprised of two (equally populous) consumption groups A and B, with A consuming USD 4,000, and B USD 40,000 a year. If this ‘economy’ suffers 5% damage from climate change, they jointly lose USD 2,200. If $\xi = 1$, A loses 200 and B loses 2,000. If $\xi = 0$, both A and B lose 1,100. If $\xi = -1$, A loses 2,000 and B loses 200. B goes from losing 5% to 2.75% to 0.5%, while A goes from losing 5% to 27.5% to 50% of pre-damage consumption. (Similar remarks apply to $\omega$.)

The distribution of damages, and thus the value of $\xi$, depends on where and how the climate changes and modifies the ecosystem at a sub-regional level, on how vulnerable the populations are given the organization of the economy and the infrastructure set-up, and on policy response.\(^\text{11}\) The value of $\xi$ has not received much scrutiny so far in the empirical literature, perhaps partly due to the fact that the importance of this parameter has not previously been demonstrated. However, many studies argue that the poor will disproportionately suffer from climate change (Hallegatte et al. 2016, Oppenheimer et al. 2014, Mendelsohn et al. 2006, Leichenko and O’Brien 2008, Kates 2000, Cutter et al. 2003, Fay et al. 2015), meaning that $\xi$ is likely to be less than 1, and might even be negative (in particular in the case of health and mortality impacts). We consider that a relevant range for $\xi$ in the present investigation, is from $-1$ to $+1$.

The distribution of mitigation cost, and thus the value of $\omega$, is even more dependent on policy decisions. Several studies (Bacon et al. 2010, Daioglou et al. 2012, Riahi et al. 2012, Krey 2014) analyze the share of energy in household expenditures and conclude that an increase in energy prices will hit the poor more than proportionally in the absence of compensatory measures, at least in developed nations.\(^\text{12}\) This suggests a value of $\omega$ less than 1 (but greater than 0) for a carbon tax alone with no compensatory measures. Several other studies (Cullenward et al. 2014, Metcalf 2009, Sterner 2012, Williams et al. 2014, Wilkerson et al. 2015) agree with the studies just cited, but also conclude that if an increase in energy prices is combined with compensatory measures it need not disproportionately hit the poor.

\(^{10}\) For equation 7, the parameter values $k_i\xi$ and $k_i\omega$ are chosen such that $\sum_j d_{ij} = 1$ and $\sum_j e_{ij} = 1$ respectively. This ensures that only the distribution, and the not total amounts of cost and damage are modulated by the elasticity parameters.

\(^{11}\) Note that the measurement of damages itself has both empirical and ethical dimensions: valuing losses to different parts of the income distribution in the wake of climate change depends both on relatively objective data on property damage, capital losses, etc., and the more ethically challenging questions regarding valuation of loss of life, health, and livelihood.

\(^{12}\) The papers in Sterner 2012 suggest that even without compensatory measures, a carbon tax in developing nations might not be regressive.
and could even make all but the highest quintile net beneficiaries – for example, if the compensatory measures involve equal per capita redistribution of the revenues from a carbon tax. In light of this, we consider that a relevant range for $\omega$ is from 0 to 2, the latter value being obtained when the cost is borne more heavily by the rich.

In previous work (Dennig et al. 2015) we show that the value of $\zeta$ is of great importance to climate policy. For example, if damages are distributed inversely proportionally to income, optimal mitigation effort under the discounting and inequality aversion assumptions of Nordhaus 2010 is equivalent to optimal mitigation in the more aggregated RICE model under the much lower discounting and inequality aversion assumptions of the Stern Review (Stern 2006).

Here we stress that allowing different carbon prices in different regions of the world is another important way in which a utilitarian improvement can be achieved by being sensitive to the interests of the poor, especially when combined with careful consideration of the sub-regional distribution of damages and mitigation cost. As an indication of the importance of these factors, especially the magnitude of the effect on the optimum that allowing differential prices can have, consider the following (Figure 1), which compares of the range of optimal prices under the harmonized-price constraint (left-most graph, Figure 1a, showing optima in NICE under a wide range of different mitigation cost and damage distribution assumptions) to optimal prices with differential regional prices (middle graph, Figure 1b, showing the wide range of different regional prices given discounting assumptions $\rho=2\%$ and $\eta=1$, and proportional sub-regional mitigation cost and equal absolute sub-regional damage distributions). Figure 1c shows the temperature path relative to pre-industrial levels for the policies in Figure 1a and Figure 1b.

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13 As a consequence, progressive compensatory measures can also arguably improve the political feasibility of carbon taxes, at least as measured by percentage of voters who are net beneficiaries of the policy.

14 We use a relatively high value $\rho=2\%$, and a relatively low value $\eta=1$ throughout. For comparison, Stern 2006 used $\rho=0.1\%$ and $\eta=1$, and Nordhaus & Sztorc 2013 use $\rho=1.5\%$ and $\eta=1.45$. Increasing $\rho$ reduces all prices. Increasing $\eta$ spreads the prices in the differential price optimum (Fig 1b) even more, and makes the welfare effects reported in Figure 2 slightly greater. Using $\eta=1$, which is at the lower end of the primary range of disagreement, underestimates the effects we are reporting relative to higher values.
Figure 1: (a) Optimal carbon prices in NICE with harmonized global carbon prices for different combinations of the income elasticity of mitigation cost ($\omega$) and damage ($\zeta$), all for the discounting assumptions $\rho=2\%$ and $\eta=1$: the prices increase with increasing $\omega$ and with decreasing $\zeta$. Also shown are the optimal policies when all regions (and quintiles therein) are assigned the average global consumption (essentially our implementation of DICE) with Stern’s discounting assumptions (Global-Stern, with $\rho=0.1\%$ and $\eta=1$), as well as alternative higher discounting assumptions (Glob Agg, with $\rho=2\%$ and $\eta=1$). (b) Optimal carbon prices in NICE allowing differential regional carbon prices given higher discounting assumptions ($\rho=2\%$ and $\eta=1$) and with proportional distribution of mitigation cost and equal absolute distribution of damages within regions (i.e. $\omega=1$ and $\zeta=0$). (c) Temperature relative to preindustrial levels in the optimas reported in (a) and (b), where ‘Regional Prices’ refers to the global temperature path under the optimum in (b). Note that the temperature paths for $\omega=1$; $\zeta=0$ and Regional Prices are for runs that involve the same assumptions about discounting as well as mitigation cost and damage distribution ($\rho=2\%$, $\eta=1$, $\omega=1$, and $\zeta=0$), but differ only in that the former but not the latter impose harmonization as a constraint.

As the comparison between Figure 1a and 1b demonstrates, the effect on optimal policy of allowing differential regional carbon prices can be large; Figure 1b shows the regional carbon prices that emerge from the assumptions behind the middle ($\omega=1$ and $\zeta=0$) line in Figure 1a when the harmonized-price constraint is removed. This comparison shows that even holding fixed the other assumptions of RICE including discount rates but merely allowing differential regional prices leads to optimal carbon prices in several rich regions that are higher than they would be in a globally aggregated model with the discounting assumptions of the Stern Review, and in the poorest region are significantly lower than they would be in a globally aggregated model with equivalent discounting assumptions ($\rho=2\%$, $\eta=1$). So, the effect on optimal policy of imposing a uniform price can be quite large, and so the question of whether a globally uniform carbon price should targeted is not merely a “theoretical” curiosity. The main regional difference driving the heterogeneity in prices is the difference in TFP, since it determines the vastly different consumption levels. But other regional differences, such as different mitigation technology (through regional mitigation cost functions $\Lambda$) as well as different subregional income distributions are also important in determining the optimal distribution of regional prices.
To compare the welfare effects of the different policies we measure the welfare gains over business-as-usual welfare levels. In our model the BAU runs are simply the model runs with zero carbon prices. The welfare loss from using a policy that ignores distribution altogether (the “Global” policies) or one that considers the distributional impacts, but is constrained to a globally harmonized price depends on the distribution of costs and damages (ω and ξ) and can be quite large. In Figure 2 we show the gain in welfare over business-as-usual (BAU), as a percentage of BAU consumption, from implementing the “Global” policy (GlobAgg High path in Figure 1a), the harmonized-price optimum, and the differential-price optimum, for different values of ω and ξ.

Notice that if ω=0 and ξ=1, using the policy recommended by the globally aggregated model results in a loss relative to BAU. This is because at that particular distribution of costs and damages the “Glob Agg” optimum over-mitigates. At such a high carbon price the loss to the mitigators is greater than the gain in avoided damage. You can see this in Fig 1a, as the orange price path (“Glob Agg”) is greater than the burgundy path (“ω=0; ξ=1”).

Assuming that both sub-regional mitigation-cost and damage are proportional (ω=1 and ξ=1) the gain over BAU of the Global and harmonized-price optima is 0.3% of consumption equivalent welfare (note that these two policies are almost identical in Figure 1a). The gain over that by allowing differential prices is another 0.2%. So allowing for differential prices almost doubles the welfare gain over BAU relative to the Global policy, if we assume that sub-regional costs and damages are proportional.

Since we use a fixed savings rate rather than one which maximizes the overall welfare level, our notion of BAU does not contain an amount of mitigation-by-savings-rate, as described in Rezai, Foley, and Taylor (2011). It also depends on the discounting parameters. Figure 2 reports the results for ρ=2% and η=1. If η is greater, then the welfare gains (from allowing differential prices) is larger.

The quantity plotted in Figure 2 is the gain in welfare over BAU as a proportion of BAU welfare, measured in consumption units. If $W_{BAU}$ is BAU welfare, as computed by (1), and $W_P$ is the welfare at for some policy $P$, then Figure 2 plots $(W_P / W_{BAU}) / (1 - \eta)$.
proportional to consumption. If we assume more reasonably (see Mendelsohn et al. 2006, and Fay et al. 2015), that damage is distributed equally across income groups \((\xi=0)\) while mitigation cost is still proportional, then the Global policy already provides a large proportion of the possible gain. However, the gains are almost two orders of magnitude greater, and the differential-price optimum yields an additional 1% welfare gain over BAU relative to the harmonized-price optimum, and additional 2% over the Global policy. These are strikingly large utilitarian welfare gains that are left on the table by focusing only on harmonized-price optimal or Global optimal policies.

We have run Figures 1 and 2 corresponding to alternative values of \(\rho\) and \(\eta\). Since the effect of \(\rho\) is to discount the future, regardless of the spatial distribution of outcomes, increasing \(\rho\) simply reduces the price paths. Since the effect of increasing \(\eta\) is to increase the sensitivity to distribution, the effect is that for higher values the results corresponding to Fig 1b have more spread out carbon prices across the regions. We also find that the welfare effects in Fig 2 are slightly greater for larger values of \(\eta\).

**Differential prices and international climate policy**

The very first principle of the United Nations Framework Convention on Climate Change states that "The Parties should protect the climate system for the benefit of present and future generations of humankind, on the basis of equity and in accordance with their common but differentiated responsibilities and respective capacities. Accordingly, the developed country Parties should take the lead in combating climate change and the adverse effects thereof." (9). In context, this implies that respect for equity and common but differentiated responsibilities (CDR) are part of the objective of the UNFCCC as agreed by the parties to that convention, where those values of equity and CDR are meant to be weighty values that should not be traded off lightly in pursuit of the concurrent goals of protecting current and future generations with climate policy.

In light of this objective, a natural focal point for optimal policy in the absence of large international transfers is the welfare maximizing differential regional prices optimum explained in previous sections. In contrast, imposing a globally uniform carbon price the absence of large transfers would result in a suboptimal outcome by the lights of the UNFCCC, since it requires developing nations to make welfare sacrifices in the pursuit of further cost minimization that are larger than the welfare gains elsewhere that result from those further moves toward cost minimization.

Because the differential prices optimum is a natural focal point for understanding optimal forward-looking CDR without increased transfers from rich nations to poor, it can also serve as a 'CDR

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18 If we assume \(\eta = 1\), when costs are distributed proportionally \((\omega=1\) and \(\xi=1)\), the regional distribution does not affect the optimal policy. This is because with such a (logarithmic) utility function, the marginal utility of any income group is proportional to one over its consumption. In this case the marginal utility of a unit of damage (or mitigation cost) to the average consumer is the same as the same unit of damage, distributed proportionally over all income groups. That is to say, proportional cost and damage distributions lead to the same polices as models that aggregate at the regional level.

19 Here and in what follows, our modeling and discussion focuses only on ‘forward-looking’ considerations (namely, future welfare consequences), and so sets aside ‘backward-looking’ considerations such as historical responsibility that are relevant to optimal policy according to many normative frameworks. In setting aside backward-looking considerations, we do not intend to take a stand on whether they are actually relevant to optimal policy – our thought is merely that (a) it is much more controversial whether they should be included in the climate policy objective, (b) they are not clearly recognized as relevant by the UNFCCC objective, and (c) if they are included in the objective this would tend to move optimal policy even further in the direction we are arguing, so proponents of backward-looking considerations can simply add a further adjustment on top of our calculation of the forward-looking considerations. (Similar remarks apply to other justice-based considerations, such as giving extra weight (or even lexical priority) to meeting the urgent needs of the global poor, etc.) So, we set aside backward-looking considerations here for ease of exposition, and focus only on forward-looking
baseline' to judge whether alternative policies are improvements for all nations over this constrained baseline: insofar as rich nations prefer to move toward harmonized prices they must at least then compensate for any welfare loss relative to this CDR baseline that might otherwise be implied for developing nations.\footnote{In this way, the differential prices optimum can be used as a baseline to evaluate whether particular alternative approaches that combine harmonization with progressive instruments (e.g. a global cap and trade system with a progressive allotment of permits) would also satisfy the UNFCCC objective, because the differential prices optima, again, represents a 'minimally acceptable' weighting of the interests of developing nations under the terms articulated in that convention.}20 In this way, the differential prices optimum can be used as a baseline to evaluate whether particular alternative approaches that combine harmonization with progressive instruments (e.g. a global cap and trade system with a progressive allotment of permits) would also satisfy the UNFCCC objective, because the differential prices optima, again, represents a 'minimally acceptable' weighting of the interests of developing nations under the terms articulated in that convention.

For example, Pareto improving transfers, whereby rich nations pay-off poorer nations in order to emit more, are a much touted mechanism for rich nations to meet their obligations while assisting poorer nations financially for their (additional) mitigation efforts. The clean development mechanism of the Kyoto Protocol is just such a mechanism. They are based on the fact that once obligations in different regions have been established, differences in marginal abatement costs may be quite large, and mutual gains may be had by a region with lower cost using less than what is required by its obligation, and thereby allowing the richer nation to pay it in order to emit more. The result is a mutual gain whereby the same global emissions level is still achieved. In the context of Figure 3, this would allow to the US to persist in emitting substantial amounts of carbon in 2035, but it would have pay India or a country in Africa for the privilege to do so.\footnote{Notice that for such a mechanism to work, mitigation obligations must be previously established. We claim that the differentiated price optimum could serve such a purpose and is a natural focal point given the objective stated by the UNFCCC.} Notice that for such a mechanism to work, mitigation obligations must be previously established. We claim that the differentiated price optimum could serve such a purpose and is a natural focal point given the objective stated by the UNFCCC.

Of course, the addition of such a trading scheme would imply some regional transfers. However, rather than being purely redistributive transfers, these transfers would only relate to the regional use of carbon, leaving regional differences in wealth largely undisturbed. Furthermore, if the resulting international market in permits is fully competitive, this would result in a globally uniform carbon price. However, it will be a distinct outcome from the constrained uniform optimum of Figure 3a, as it will have lower emissions, and less of the emission burden will be on the poorest nations. It will be cost efficient, like the constrained uniform optimum, but a welfare improvement over the differentiated price optimum, which is the baseline from which the cost savings would be made. A further task would be to compute the distribution of emissions that would result from adding such a trading scheme, and global carbon price that would emerge. As this would require full general equilibrium modeling of global markets (which cost-benefit style IAMs such as NICE do not have the capability to do) we leave this computation to future work.

Finally, the differential prices optimum can also be used to judge national commitments in the emerging post-Paris international climate regime, in which the international community has pivoted to a ‘bottom-up’ approach to international cooperation via nationally determined contributions (INDCs). In this regime, there is a fundamental need to judge the adequacy of national commitments relative to a context in which it is common knowledge that they do not collectively add up to a

\footnote{Considerations based on current and future income levels, which are at least a large part of the objective from all normative perspectives.}

\footnote{However, it is important to stress that even if richer nations make these transfers, this might be insufficient in the real world to protect the poor relative to how they would have fared under the differential prices optimum, as transfers from rich nations to poor nations are unlikely to be distributed as intended across quintiles, and to a first approximation might predictably only benefit the richest quintile in many developing nations.}

\footnote{These two regions would have the lowest marginal abatement cost at the proposed optimum, as can be seen from Figure 1b.}
globally optimal level of mitigation. Because the differential prices optimum can be used to calculate the welfare-optimal shares of emissions, these shares are then also a natural focal point for judging the adequacy of shares of a given level of global emissions reductions, even if that global level is itself suboptimal. These shares can serve as a focal point for the negotiated relative contributions of nations as they gradually deepen their commitments in coming decades.

Figure 3: Optimal emission shares (and total emissions) in 2035 when $\omega = 1$ and $\xi = 0$. The first panel corresponds to the constrained uniform price optimum and the second panel to the differentiated price optimum.

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</tbody>
</table>

Table 1: Optimal regional emission shares and world totals for industrial emissions in 2035. Total emissions including those due to land use change (modeled as exogenous in DICE/RICE/NICE) are in brackets. Each pair of columns contrasts the emission shares under the harmonized and differential price optima. The first column assumes logarithmic utility and the mitigation and damage cost distributions from the middle panel in Fig. 1. This is our reference scenario. Each other column pair changes one of those three parameters. The pure rate of time preferences is fixed at $\rho = 2$ in all columns. Notice that increasing $\eta$ has a large effect on spreading the distribution of optimal emission shares, to the point where the richest 4 regions emit zero by 2035. Decreasing the mitigation cost elasticity and increasing the damage elasticity have similar effects: they increase the overall global
emissions allowing the richer regions a greater share of that increase relative to our reference scenario.

Table 1 shows the difference between the uniform price optimum and the differentiated price optimum in terms of shares of emissions in 2035. In our reference scenario the uniform price optimum emits 7.3 Gigatons of carbon while the differentiated price optimum emits 5.9 Gigatons of carbon (including emissions due to land use change, which are modeled as exogenous). As reductions from the 12.5 Gigatons in business-as-usual, the total mitigation effort is not too different in the two optima. However, the distribution is radically different. For example, in the uniform price optimum, the US and Europe would continue to cause 15% and 11% of total emissions while India and Other (non OECD) Asia would only cause 9% of emissions each. In the differentiated price optimum the US would be expected to have (net) zero percent of emissions and Europe 6%, while the two developing regions would be emitting 15% of global emissions each.

In sum, a differential prices optimum is generally welfare superior to the harmonized global prices optimum produced by standard IAMs. It is also a natural focal point for climate policy that gives proper weight to common but differentiated responsibilities, and for judging the relative adequacy of national commitments in the emerging ‘bottom-up’ international climate regime. The resulting gain in welfare is the main argument for grounding policy analysis on the differential prices optimum rather than the welfare inferior harmonized price optimum that ignores distributional issues, as the welfare gain is driven only by the logic of common but differentiated responsibilities internal to the climate policy challenge, rather than by general redistributive aims. More generally, once national and subnational inequalities are properly represented it is especially problematic to insist on ignoring the negative welfare effects of imposing harmonized abatement costs as a modeling constraint. Improved representation of these inequalities and recognition of their relevance to climate policy (as in NICE with differential regional prices) should become new best practices in climate economy IAMs.


model incorporating the IPCC’s five reasons for concern. Integrated Assessment J 6:19–56.


The World Bank (2014) World Development Indicators, Table 2.9 “Distribution of income or consumption” (The World Bank, Washington, DC). Available at wdi.worldbank.org/table/2.9.