



	Section 2: Points, Lines, and Planes	
	The of two figures is	the set of points that are in both figures.
	k	h o k
	A A is in <i>k</i> , or A is on <i>k</i> .	
	k contains A.	k and h intersect in O.
	<i>k</i> passes through A.	k and <i>h</i> intersect on O.
		O is the intersection of k and <i>h</i> .
	► i	
		X
	м	M
	P P	
		Υ
	k and P are in M.	M and N intersect in line XY.
	M contains k and P.	line XY is the intersection of M and N. line XY is in M and N.
	<i>j</i> intersects M at P. P is the intersection of <i>j</i> and M.	M and N contains line XY.
Testera	Chanter of: Points Sines Pl	anos and Analos
Extra	Chapter 01: Points, Lines, Pla Unit 1: Some Basic Figures Quick Quiz	anes, and Angles
Extra	Quíck Quíz	
Extra	Quick Quiz Classify each statement as true or	false. Justify your answer.
Extra	Quíck Quíz	false. Justify your answer.
Extra	Quick Quiz Classify each statement as true or	false. Justify your answer.
Extra	Quick Quiz Classify each statement as true or 1. All points on a line are coplana	false. Justify your answer. r.
Extra	Quick Quiz Classify each statement as true or 1. All points on a line are coplana 2. A line has one endpoint.	<b>false. Justify your answer.</b> r. etter.
Extra	Quick Quiz Classify each statement as true or 1. All points on a line are coplana 2. A line has one endpoint. 3. A point is named by a capital le 4. Two lines intersect in two point	<b>false. Justify your answer.</b> r. etter.
Extra	Quick Quiz Classify each statement as true or 1. All points on a line are coplana 2. A line has one endpoint. 3. A point is named by a capital le	<b>false. Justify your answer.</b> r. etter.
Extra	Quick Quiz Classify each statement as true or 1. All points on a line are coplana 2. A line has one endpoint. 3. A point is named by a capital le 4. Two lines intersect in two point	<b>false. Justify your answer.</b> r. etter.
	Quick Quiz Classify each statement as true or 1. All points on a line are coplana 2. A line has one endpoint. 3. A point is named by a capital le 4. Two lines intersect in two point	<b>false. Justify your answer.</b> r. etter.

	Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance	
	$ \xrightarrow{A} \xrightarrow{B} \xrightarrow{C}          $	
	The point B is between points A and C. Note that B must lie on line A	.C.
	A C	
	Segment AC, denoted AC, consists of points A and C and all points to between A and C. Points A and C are called the of AC.	hat are
	$A \qquad C \qquad P \qquad \qquad$	
	<b>Ray AC</b> , denoted $\overrightarrow{AC}$ , consists $\overrightarrow{AC}$ and all other points P such that C between A and P. The <i>endpoint</i> of $\overrightarrow{AC}$ is A, the point named first.	is
	Ray BA and ray BC, from above, are called <b>rays</b> . B is A and C.	
Notes	Chapter 01: Points, Lines, Planes, and Angles Unit 2: Definitions and Postulates Section 3: Seaments, Rays, and Distance	
Notes	Chapter 01: Points, Lines, Planes, and Angles Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance A = B = C = x = y -5 = 0 = 5	
Notes	Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance	en B
Notes	Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance $A \qquad B \qquad C \qquad x \qquad y \qquad \\ \leftarrow \dot{\uparrow} \qquad + \dot{\downarrow} \qquad + $	en B
Notes	Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance A = B = C = x = y $\leftarrow i + + + i + i + + i + + + + + + + + + $	en B
Notes	Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance A = B = C = x = y 4 = 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1	en B
Notes	Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance A = B = C = x = y 4 = 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1	en B
Notes	Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance A = B = C = x = y 4 = 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1	en B

Notes	Chapter 01: Points, Lines, Planes, and Angles Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance
	Postulate 1 Ruler Postulate
	1. The points on a line can be paired with the real numbers in such a way
	that any two points can have coordinates 0 and 1.
	2. Once a coordinate system has been chosen in this way, the distance
	between any two points equals the absolute value of the difference of
	their coordinates.
	Postulate 2 Segment Postulate
	If B is between A and C, then
	AB+BC=AC.
	Example
	B is between A and C, with $AB=2x$ , $BC=x+3$ , and $AC=30$ . Find:
	(a) the value of x (b) BC
Notes	Chapter 01: Points, Lines, Planes, and Angles
	Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance
	In Geometry two objects that have the <i>same size and shape</i> are called
	means having a same
	measurement.
	Congruent segments are segments that have equal lengths.
	To indicate that $\overline{\text{DE}}$ and $\overline{\text{FG}}$ have equal lengths, we write

DE=FG.

To indicate that  $\overline{DE}$  and  $\overline{FG}$  are congruent, we write  $\overline{DE}\cong\overline{FG}~.$ 

Notes	Chapter 01: Points, Lines, Planes, and Angles
	Unit 2: Definitions and Postulates Section 3: Segments, Rays, and Distance
	The of a segment is the point that divides the segment into
	two congruent segments.
	A of a segment is a line, segment, ray, or plane that intersects
	the segment at its midpoint.
	1
Notes	Chapter 01: Points, Lines, Planes, and Angles Unit 2: Definitions and Postulates
	Section 4: Angles
	Postulate 3 Protractor Postulate
	On line AB in a given plane, choose any

JNOLES	Unit 2: Definitions and Postulates Section 4: Angles
	Postulate 3 Protractor Postulate
	On line AB in a given plane, choose any
	point O between A and B. Consider ray OA
	and ray OB and all the rays that can be
	drawn from O on one side of line AB. These
	rays can be paired with the real numbers
	from 0 to 180 in such a way that: (a) Ray OA $\begin{bmatrix} 180 \\ B \end{bmatrix}$ O $\begin{bmatrix} 0 \\ A \end{bmatrix}$
	is paired with 0, and ray OB with 180. (b) If
	ray OP is paired with x, and ray OQ with y,
	then measure of angle POQ is $ x-y $ .
	Postulate 4 Angle Addition Postulate
	If point B lies in the interior of angle AOC, then
	$m \measuredangle AOB + m \measuredangle BOC = m \measuredangle AOC.$
	If ∡AOC is a straight angle and B is any point
	not on line AC, then
	$m \measuredangle AOB + m \measuredangle BOC = 180.$

Chapter 01: Points, Lines, Planes, and Angles Unit 2: Definitions and Postulates Section 4: Angles
<b>angles</b> are angles that have equal measures.
angle (denoted: ) are two angle in a plane that have a
common vertex and a common side, but no common interior points.
The of an angle is the ray that divides the angle into two
congruent adjacent angles.

Notes	Chapter 01: Points, Lines, Planes, and Angles Unit 2: Definitions and Postulates Section 4: Angles
	There are things that you can assume in Geometry, and there are things you
	can't. Let figure them out.
	List all the conclusion from the diagram on the A D T
	All points shown are B
	A, B, and C are ∠ABC is a angle.
	D is in the of $\angle ABE$ .
	$\angle ABD$ and $\angle DBE$ are angles.
	(1) You can't assume size or measurement. This means that you can't
	assume congruence and right angle.
	(2) You can assume relative positions and collinearity.

 Chapter 01: Points, Lines, Planes, and Angles
Unit 2: Definitions and Postulates Section 5: Postulates and Theorems Relating Points, Lines, and Planes
Postulate 5
A line contains at least two points; a plane consists at least three points not
all in one line; space contains at least four points not all in one plane.
Postulate 6
Through any two points there is exactly line.
Postulate 7
Through any three points there is <b>at least</b> plane, and through any
three noncollinear points there is one plane.
Postulate 8
If two points are in a plane, then the line that contains the points is
that plane.
Postulate 9
If two planes intersect, then their intersection is a

Notes	Chapter 01: Points, Lines, Planes, and Angles
	Unit 2: Definitions and Postulates Section 5: Postulates and Theorems Relating Points, Lines, and Planes
	Theorem 1–1
	If two lines intersect, then they intersect in exactly point.
	Theorem 1–2
	Through a line and a point not in the line there is exactly plane.
	Theorem 1–3
	If two lines intersect, then exactly plane contains the lines.
	Example
	Classify each statement as true or false. Give the definition, postulate or
	theorem that supports your conclusion.
	1. A given triangle can lie in more than one plane.
	2. Any two points are collinear.
	3. Two planes can intersect in only one point.
	4. Two lines can intersect in two points.

Complete with always, sometimes, or never.			
1.	Two points lie	e in exactly	one line.
2.	Three points	lie in exactl	ly one line.
3.	Three points	lie in exact	tly one plane.
4.	Three collinear points	lie	e in exactly one plane.
5.	Two planes ir	ntersect.	
6.	Two intersecting planes		intersect in exactly one poi
7.	Two intersecting lines	in	tersect in exactly one point
8.	Two line inter	rsect in exa	ctly one point.
9.	Two intersecting lines	lie	e in exactly one plane.
10.	A line and a point not on th	at line	lie in more than o
	plane.		
11.	A line contain	is exactly o	ne point.
12.	When A and B are in a plane	e, line AB	in that plane.